

Fault-tolerant hamiltonian cycles and paths embedding into locally exchanged twisted cubes

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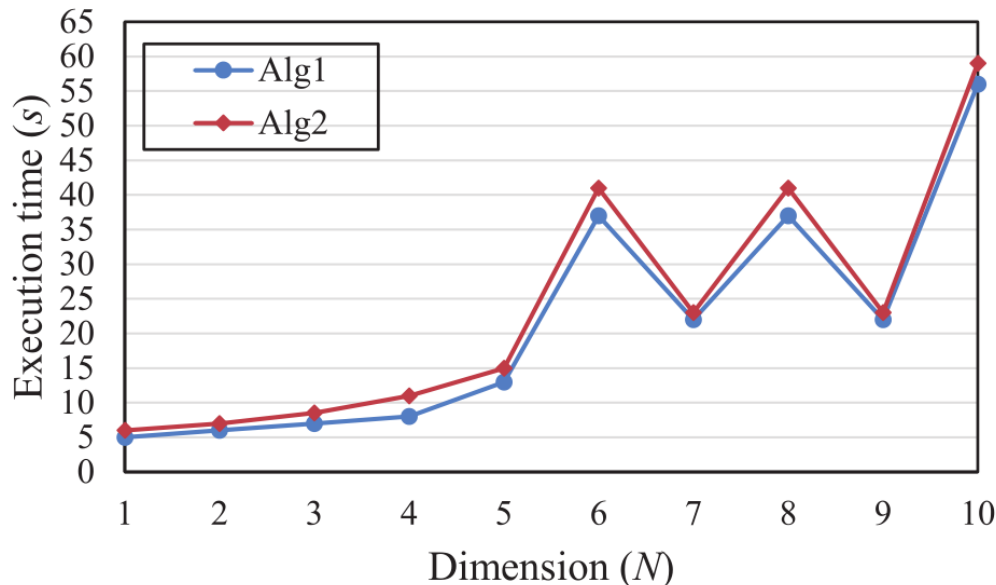
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Problems & Ideas

- **Problems:** Network fault tolerance means that when some components and connections fail at the same time, the remaining subnetworks still have some special functions . The ability of fault-tolerance is a crucial parameter in measuring performance of an interconnection network .Thus, it is natural to consider how to tolerate as many faults as possible in the network.
- **Ideas: Embedding of Hamiltonian cycles and paths**
 - Paths and cycles are two basic network topology for parallel computing.
 - The algebraic problems, graph problems and some parallel applications. can be solved by using efficient algorithms on cycles and paths.
 - If an interconnection network contains paths (or cycles) of different lengths, it can effectively simulate many algorithms designed on linear arrays (or cycles).

Main Contributions

- (i) We prove that an $LeTQ_{s,t}$ can tolerate up to $s - 1$ faulty vertices and edges when embedding a Hamiltonian cycle(Alg1), for $s \geq 2$, $t \geq 3$, and $s \leq t$.
- (ii) We prove another result that there is a Hamiltonian path(Alg2) between any two distinct fault-free vertices in a faulty $LeTQ_{s,t}$ with up to $(s - 2)$ faulty vertices and edges, for $s \geq 2$, $t \geq 3$, and $s \leq t$.



The experimental results show that the algorithms have good performance and simulation results indicate that both the time complexity of Algorithms 1 and 2 meet $O(N \log N)$.